

Forecasting sales using store, promotion, and competitor data

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Motivation and Problem Description

Motivation Many businesses that maintain physical stores must predict their sales figure in advance, in order to strategically plan and respond to the market. The sales figure for a given store is a combination of many underlying factors such as time, promotions, competitions, type and size of stores, etc. Such complex setting provides a good opportunity to apply machine learning based, to create models for predicting the desired features.

Problem Description Rossmann is a company that operates over 3000 drug stores in 7 European countries. The problem provides sales and related store data from 1115 stores located across Germany. The main goal of the problem is to create a machine learning based model that can predict 6 weeks of daily sales for each store.

Description of Data

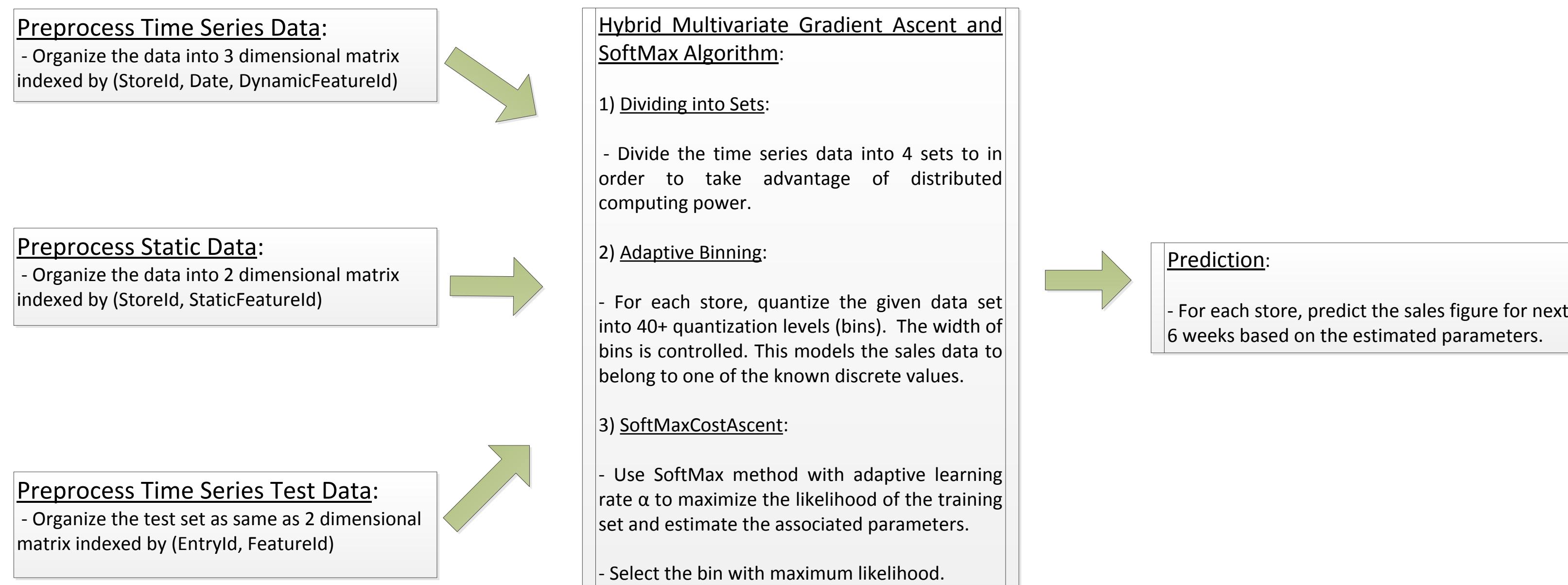
Time series data The time series data contains each store's time-dependent data for a given day from 1/1/2013 to 7/31/2015. A sample of the data is shown below.

Store	DayOfWeek	Date	Sales	Customers	Open	Promo	StateHoliday	SchoolHoliday
1	5	7/31/2015	5263	555	1	1	0	1
2	5	7/31/2015	6064	625	1	1	0	1
3	5	7/31/2015	8314	821	1	1	0	1

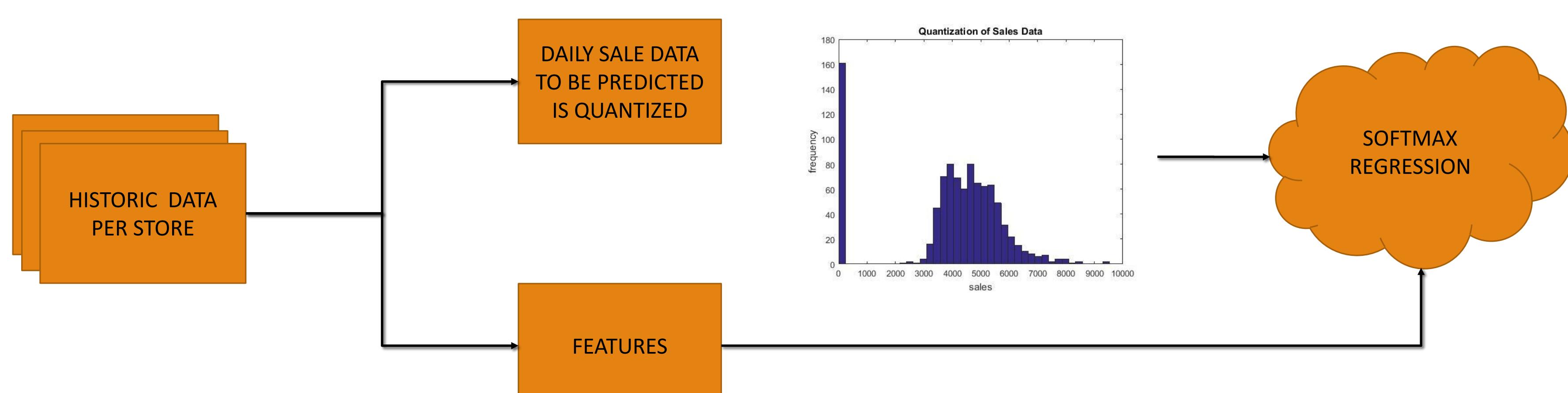
Static Data The static data includes information about each store, including distance to closest competitor, store type, promo, etc.

Store	Type	Assortment	CompetitorDistance	CompetitionOpenSinceMonth	CompetitionOpenSinceYear	Promo2SinceWeek	Promo2SinceYear	PromoInterval
1	c	a	1270	9	2008	0		Jan,Apr,Jul,Oct
2	a	a	570	11	2007	1	13	2010 Jan,Apr,Jul,Oct
3	a	a	14130	12	2006	1	14	2011 Jul,Oct
4	c	c	620	9	2009	0		

Summary of Design



Detailed Description of Algorithm:



$$p(sale = l|x; \theta) = \frac{e^{\theta_l^T x}}{\sum_{j=1}^k e^{\theta_j^T x}}$$

$$l(\theta) = \sum_{i=1}^{days} \log \prod_{l=1}^k \left(\frac{e^{\theta_l^T x}}{\sum_{j=1}^k e^{\theta_j^T x}} \right)^{1\{sale^{(i)}=l\}}$$

where

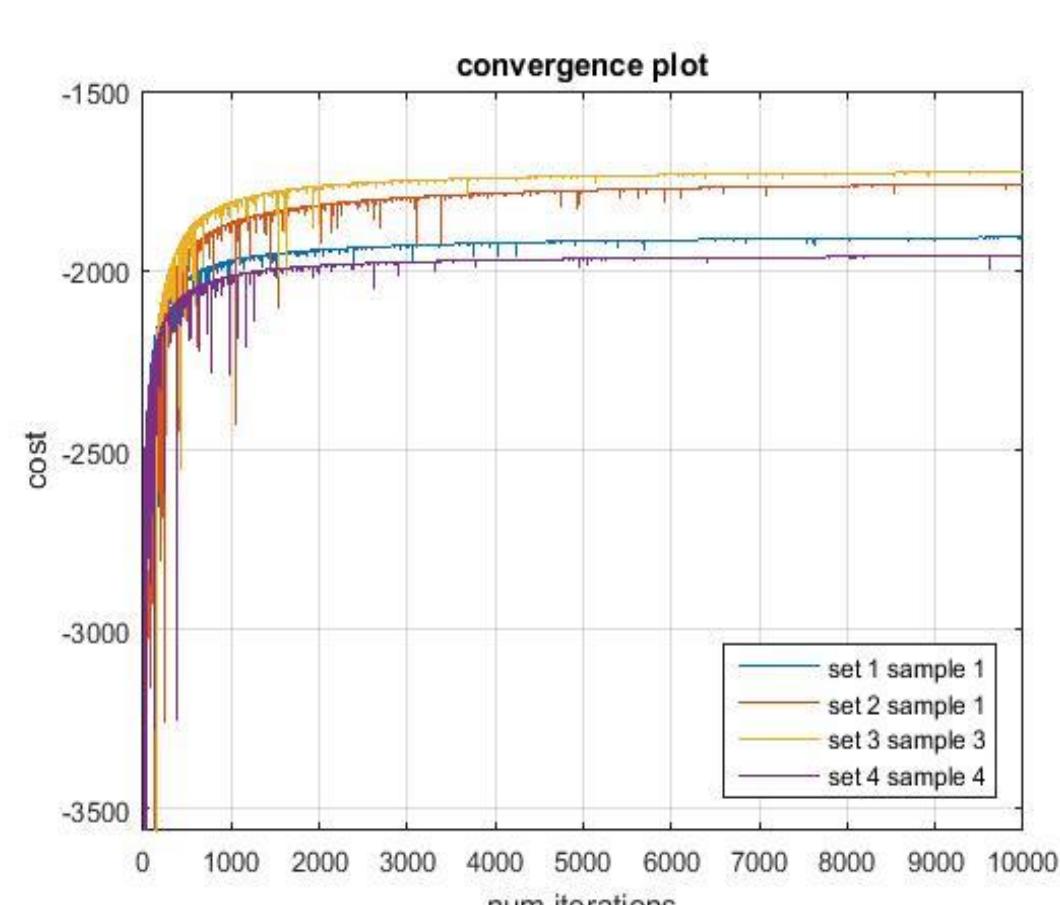
x represents features

l is quantization level

k is number of quantization levels

θ_j is parameter to be learned for j^{th} quantization level

The equation shown above is the cost function to be maximized. We used steepest ascent with adaptive learning rate. Every step that results in a lower cost than the current is reversed and learning rate is reduced. The curves in the convergence plot show this.



Results

RMSE of Predicted Sales Forecast vs Test Data
= 0.17305

RMSE of Median Benchmark (www.kaggle.com)
= 0.19255

Scope for Improvements

1) We can introduce a heuristic that computes probability of both the single maximum probability bin and the maximum transition probability bin, and dynamically select which ever method that give the higher probability.

2) The current algorithm estimates parameters per each store, and ignores features that apply to different groups of stores. It may be possible to improve the speed of training the model by grouping the stores into clusters and generating models for each group instead.